## CLAIMS

A digital equalization method for estimating discrete information symbols (dk) from digital samples (yx) signal received over a transmission channel represented finite impulse o∕£ by a response W+1 coefficients  $(r_0, r_1, ..., r_w)$ , W being an integer greater than 1, comprising the step of determining the W roots  $(\alpha_1, \alpha_2, \ldots, \alpha_w)$  in the complex plane of the Z-transform (R(Z)) of the impulse response, characterized it further comprises the steps of:

- distributing the W roots into a first set of W-p roots  $(\alpha_1,\ldots,\alpha_{W-p})$  and a second set of p roots  $(\alpha_{W-p+1},\ldots,\alpha_W)$ , p being an integer greater than 0 and smaller than W, the roots of the second set being closer to the unit circle than those of the first set according to a determined distance criterion in the complex plane;
- obtaining an intermediate signal (Y') by applying a first equalization method to the received signal (Y) based on a finite impulse response whose Z-transform (R<sup>S</sup>(Z)), formed by a polynomial of degree W-p in Z<sup>-1</sup>, has roots which are the W-p roots of the first set; and
- obtaining estimations  $(\hat{d}_k)$  of the discrete information symbols by applying a second equalization method to the intermediate signal based on a finite impulse response whose Z-transform  $(R^I(Z))$ , formed by a polynomial of degree p in  $Z^{-1}$ , has roots which are the proots of the second set.

2. A method according to claim 1, wherein the first equalization method yields the intermediate signal in the form of a vector Y' of n+p samples  $(y'_1, \ldots, y'_{n+p})$  obtained according to the relation:

$$Y' = (A'^{H} A')^{-1} A'^{H} Y$$

where n is an integer representing a frame size, Y is a vector composed of n+W samples  $(y_k)$  of the received signal, and A' is a matrix with n+W rows and n+p columns having a Toeplitz structure formed from the coefficients  $(s_q)$  of said polynomial of degree W-p in  $Z^{-1}$   $(R^S(Z))$ .

- 3. A method according to claim 1 or 2, wherein the second equalization method comprises implementing a Viterbi algorithm.
- 4. A method according to any one of claims 1 to 3, wherein the unit circle distance criterion, used to distribute the W roots  $\alpha_1,\ldots,\alpha_W$  of the Z-transform (R(Z)) of the channel impulse response into the first and second sets, is expressed as a distance  $\delta_q$  of the form  $\delta_q=1-\left|\alpha_q\right|$  if  $\left|\alpha_q\right|\leq 1$ , and of the form  $\delta_q=1-1/\left|\alpha_q\right|$  if  $\left|\alpha_q\right|>1$ , for  $1\leq q\leq W$ .
- 5. A radio communications receiver comprising :
  - conversion means (1,3,4) to produce digital samples  $(y_k)$  from a radio signal received over a transmission channel represented by a finite impulse response of W+1 coefficients  $(r_0,r_1,\ldots,r_W)$ , W being an integer greater than 1;
  - means (6) for measuring the channel impulse response:

means for calculating the W roots  $(\alpha_1, \alpha_2, \ldots, \alpha_W)$  in the complex plane of the Z-transform (R(Z)) of the impulse response;

- means for distributing the W roots into a first set of W-p roots  $(\alpha_1,\ldots,\alpha_{W-p})$  and a second set of p roots  $(\alpha_{W-p+1},\ldots,\alpha_{W})$ , p being an integer greater than 0 and smaller than W, the roots of the second set being closer to the unit circle than those of the first set according to a determined distance criterion in the complex plane;
- a first equalization stage for producing an intermediate signal by applying a first equalization method to the received signal  $(y_k)$  based on a finite impulse response whose Z transform  $(R^S(Z))$ , formed by a polynomial of degree W-p in  $Z^{-1}$ , has roots which are the W-p roots of the first set; and
- a second equalization stage for producing estimations  $(\hat{d}_k)$  of the discrete symbols of a signal carried on the channel by applying a second equalization method to the intermediate signal based on a finite impulse response whose Z transform  $(R^{\rm I}(Z))$ , formed by a polynomial of degree p in  $Z^{-1}$ , has roots which are the proots of the second set.
- 6. A receiver according to claim 5, wherein the first equalization stage is arranged to yield the intermediate signal in the form of a vector Y' of n+p samples  $({y'}_1, \dots, {y'}_{n+p})$  obtained according to the relation:

$$Y' = (A'^{H} A')^{-1} A'^{H} Y$$

where n is an integer representing a frame size, Y is a vector composed of n+W samples  $(y_k)$  of the received signal, and A' is a matrix with n+W rows and n+p columns

having a Toeplitz structure formed from the coefficients  $(s_q)$  of said polynomial of degree w-p in  $Z^{-1}$   $(R^S(Z))$ .

- A receiver according to claim 5 or 6, wherein the second equalization stage is arranged to implement a Viterbi algorithm.
- A receiver according to any one of claims 5 to 7, wherein the means for distributing the W roots into the first and second sets make use of a unit circle distance criterion expressed as a distance  $\delta_{\mathbf{q}}$  of the  $\delta_{\mathbf{q}} = 1 - |\alpha_{\mathbf{q}}|$  if  $|\alpha_{\mathbf{q}}| \le 1$ , and of the form  $\delta_{\mathbf{q}} = 1 - 1/|\alpha_{\mathbf{q}}|$  $\frac{12 |\alpha_q| > 1, \text{ for } 1 \leq q \leq w}{Q}$

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